

A generalized approach to study low as well as high pT regime of transverse momentum spectra

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Motivation



Studying the QCD matter produced under extreme condition of temperature and density called Quark Gluon Plasma (QGP) is among the important goal of heavyion collision experiments. QGP state is being created for a very short interval of time (~ 10^{-22} s) so we cannot directly probe this state. Hence we utilize kinematic data of final state particles produced in heavy-ion collision in order to study the dynamics of QGP. Transverse momentum (p_{τ}) spectra is one such kinematic variable that gives us information about the thermodynamical as well as hydrodynamical properties of the system produced in heavy-ion collision. We have developed a unified formalism to study full range of p_{τ} -spectra including both soft as well as hard part using a single distribution function.



high- p_{τ} region corresponding to particles produced in hard processes.

¹⁰ Q [GeV] ¹⁰⁰

Conventional Approach to study p_T spectra

Considering the particles produced in heavy-ion collision to be of thermal origin. Most natural choice to explain energy spectra is Boltzmann distribution.

<mark>1 d²N</mark> (GeV/α 2π Np_Tdp_Tdy

• For Boltzmann distribution, p_{T} spectra is given as



Here m_T is the transverse mass given as





- In the graph above, we have fitted p_{τ} -spectra of positive pions produced in 2.76 TeV Pb-Pb collision with the Boltzmann distribuion function.
- We observe that Boltzmann distribution deviates significantly from data beyond certain $p_{_{T}}$ range.
- In order to overcome this problem, Tsallis statistics has been introduced in high energy physics.
 - Tsallis statistics [2] is a generalised Boltzmann-Gibbs statistics which also takes into account nonextensivity in the system.
 - Non-extensivity can arise in strongly coupled system.

$$\frac{1}{2\pi p_T} \frac{d^2 N}{dp_T dy} = \frac{g V m_T}{(2\pi)^3} \left[1 + (q-1)\frac{m_T}{T} \right]^{-\frac{q}{q-1}}$$

- Non-extensivity parameter "q" takes care of deviation from thermal equilibrium.
- Tsallis distribution deviates from data at high $\textbf{p}_{\scriptscriptstyle T}$ region corresponding to hard scattering.

Pearson Distribution

- Hard scattering part of $\boldsymbol{p}_{_{T}}$ spectra is governed by power law form:

[4] at four different centrality fitted with different distribution function.

Flow Analysis

 Flow corresponds to the azimuthal anisotropy in distribution of particle produced in heavy ion collision.

$$E\frac{d^{3}N}{dp^{3}} = \frac{1}{p_{T}}\frac{d^{2}N}{dp_{T}dy}\frac{N}{2\pi}\left[1 + 2\sum_{n}v_{n}\cos\left\{n(\phi - \psi)\right\}\right]$$

• Here, v_n is the nth order flow coefficient.

Final state momentum anisotropy v_n is correlated to initial spatial eccentricity ε_n



Summary

- Tsallis distribudion deviates from data as we move towards higher p T region.
- We developed a generalized approach to study both low as well as high-p T regions of the spectra.



$$f(p_T) = \frac{1}{N} \frac{dN}{dp_T} = Ap_T \left(1 + \frac{p_T}{p_0}\right)^{-r}$$

- Pearson distribution [3] is a generalised form of many probability distribution functions like gaussian, exponential, gamma distributions etc.
- It is given in form of differential equation:

 $\frac{1}{p(x)}\frac{dp(x)}{dx} + \frac{a+x}{b_0 + b_1 x + b_2 x^2} = 0$

- Parameters a, b_0 , b_1 , b_2 are related to first four moments of a distribution.
- We have modified solution of this distribuion function by substituting physics parameters to give transverse momentum spectra [1]



 We also observe that there is a linear relationship between one of the fitted parameters and elliptic flow coefficient.

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